

## Review Questions 15

*Your Name:*

Please print out this form (two-sided, if you can) and write your answers *legibly* in the spaces provided. If you can't write legibly, type.

- Consider the network below that consists of 5 routers A to E and one transit network T. Costs of point-to-point links are symmetric, and costs from the routers to the transit network are as shown on the figure. Compute the shortest path tree from E using Dijkstra's algorithm and highlight the edges in the tree.

*Dijkstra at node E proceeds as follows:*

$E(0); A(3), D(4), T(\infty), B(\infty), C(\infty)$

$E(0), A(3); D(4), T(5), B(\infty), C(\infty)$

$E(0), A(3), D(4); T(5), B(\infty), C(9)$

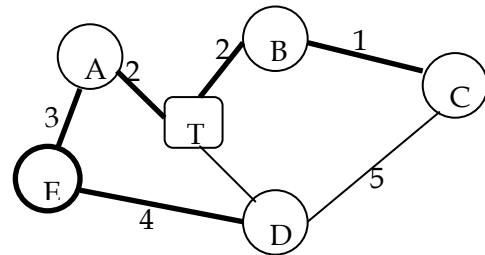
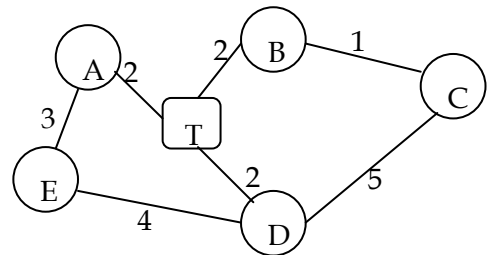
$E(0), A(3), D(4), T(5); B(5), C(9)$

$E(0), A(3), D(4), T(5), B(5); C(6)$

$E(0), A(3), D(4), T(5), B(5), C(6)$

*Where nodes in bold are in the labeled set*

*The final shortest path tree is as shown on the right*



- In the Bellman-Ford algorithm, suppose that a node  $x$  has a distance vector  $[0 \ 3 \ 2 \ 8 \ 6 \ - \ 15 \ -]$  where a dash means that there is no known distance to that destination yet. The zero entry in the distance vector reflects the zero-length path from  $x$  to itself.  $x$  has only two neighbors,  $y$  and  $z$ , with an edge of length 3 to  $y$  and an edge of length 2 to  $z$ . The last distance vector  $x$  received from  $y$  is  $[3 \ 0 \ 4 \ 5 \ 10 \ - \ 12 \ -]$  and the last distance vector it received from  $z$  is  $[2 \ 4 \ 0 \ 7 \ 4 \ - \ 14 \ -]$ . Suppose  $x$  receives a new distance vector  $[3 \ 0 \ 4 \ 5 \ 8 \ 7 \ 11 \ -]$  from  $y$ . How does this change its distance vector?

*For each entry in its distance vector,  $x$  takes the minimum of its cost to  $y$  plus the cost for that entry in  $y$ 's distance vector and its cost to  $z$  plus the cost for that entry in  $z$ 's distance vector. Given the new distance vector received from  $y$ ,  $x$  new distance vector  $d(x)$  is obtained as follows:*

$$d(x) = [0 \ \min\{3+[3 \ 0 \ 4 \ 5 \ 8 \ 7 \ 11 \ -]; 2+[2 \ 4 \ 0 \ 7 \ 4 \ - \ 14 \ -]\}] = [0 \ 3 \ 2 \ 8 \ 6 \ 10 \ 14 \ -]$$

3. Consider a network with 100 routers running a link-state protocol. Assume that the network uses only point-to-point links and that each router has 10 links. If each router experiences a change to the status of one of its incident links every second, what is the maximum number of LSAs that a router can receive in a second? How many of these are not duplicates?

*If each router experiences a change in the status of one of its links every second, then a router can receive up to  $99 \times 10 = 990$  LSAs per second (one update from each one of the other 99 routers, which is forwarded by all 10 neighbors of the router. In this case, 9 out of 10 LSAs are duplicates, i.e., the router only receives 99 truly new LSAs per second.*